



hp calculators



HP 30S Solving Problems Involving Percents

Percentages

Practice Working Problems Involving Percentages

**Percentages**

The percentage is defined as the number of parts for each hundred, and is usually abbreviated as *percent*. Its symbol is %. A percentage can also be thought as a fraction multiplied by 100. For example, 25 percent is written 25%, and is 0.25 (one quarter) multiplied by 100.

Percentages are used extensively in business, for example to specify bank rate, interest rates, tax rates, to get a mark-up or a discount price, etc. Percentages are also used outside the business world – scientific or engineering measurements, results, and uncertainties are stated as percentages.

The HP 30S provides the % ( $\text{2nd} \ \%$ ) and %CHG ( $\text{2nd} \ \%CHG$ ) functions to calculate percentages.

**Practice working problems involving percentages**

Example 1: What is 18% of \$1,525.95?

Solution: In general, the  $n$  percent *of* an amount is obtained by *multiplying* this amount by the percent  $n$ . In our case, the first calculation is  $1525.95 \times 18\%$ :

$1 \ 5 \ 2 \ 5 \ . \ 9 \ 5 \ \times \ 1 \ 8 \ \text{2nd} \ \%$

This displays the calculation  $1525.95 \times 18\%$ . Press  $\text{ENTER}$  to find the result. It is important to note that on the HP 30S “ $x\%$ ” is mathematically equivalent to “ $x$  divided by 100”, so we can also solve this problem by pressing

$1 \ 8 \ \text{2nd} \ \% \ 1 \ 5 \ 2 \ 5 \ . \ 9 \ 5 \ \text{ENTER}$

Notice the implicit multiplication after the % symbol.

Answer: 274.67 when written to the nearest cent.

Example 2: What is 18% added to \$1,525.95?

Solution: On the HP 30S,  $n$  percent *added to* a number is calculated by multiplying this number by  $(1 + n\%)$ . Please note that this method differs from the way other calculators work. In this example, we can press:

$+ \ 1 \ 5 \ 2 \ 5 \ . \ 9 \ 5 \ \text{ENTER}$

since ANS contains the 18% already. In general, though, we will have to repeat the calculation by pressing

$1 \ 5 \ 2 \ 5 \ . \ 9 \ 5 \ ( \ 1 \ + \ 1 \ 8 \ \text{2nd} \ \% \ \text{ENTER}$

Alternatively, we can store the number in ANS first and do the calculation  $\text{ANS} + n\% \times \text{ANS}$ . In fact, you don't need to press the first ANS since it is automatically inserted into the entry line when pressing  $+$ , and the  $\times$  signs is not necessary either since the multiplication can be implicitly stated after the % symbol. Therefore, we can press

$1 \ 5 \ 2 \ 5 \ . \ 9 \ 5 \ \text{ENTER} \ + \ 1 \ 8 \ \text{2nd} \ \% \ \text{2nd} \ \text{ANS} \ \text{ENTER}$

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Answer: 1,800.62 when written to the nearest cent.

Example 3: The local grocery store is offering 8% off all tinned foods this week. What will be the cost of buying 5 tins that normally cost \$1.85 each?

Solution: We will use the last method used in example 2. The only difference is that we have to subtract the percentage instead of adding it:

$(1) \cdot (8) (5) \times (5) \text{ ENTER } - (8) \text{ 2nd } \% \text{ 2nd } \text{ANS} \text{ ENTER}$

Answer: 8% subtracted from 5 times \$1.85 gives a price of \$8.51 for the 5 tins.

Example 4: Calculate the number that is 10% greater than 25

Solution:  $(2) (5) \text{ ENTER } + (1) (0) \text{ 2nd } \% \text{ 2nd } \text{ANS} \text{ ENTER}$

Answer: 27.5

Example 5: Just before Christmas, Jordy's fish shop marked up its lobster, which had a wholesale cost of \$15 per pound, by 40%. After Christmas, they have marked the lobster down by 11% for a special sale. What is the sale price of this product?

Solution: We will link two percent calculations this time:

$(1) (5) \text{ ENTER } + (4) (0) \text{ 2nd } \% \text{ 2nd } \text{ANS} \text{ ENTER } - (1) (1) \text{ 2nd } \% \text{ 2nd } \text{ANS} \text{ ENTER}$

Answer: \$18.69 per pound.

Example 6: To make a profit of 30%, what is the percentage of markup?

Solution: To find the markup percent M for a given gross profit G, we can use this formula:

$$M = \frac{100G}{100 - G}$$

$(E) (2) \times (3) (0) \div (1) (E) (2) - (3) (0) \text{ ENTER}$

Answer: 42.86 % when rounded to two decimal digits.

Example 7: If we add 30% to our cost price, what percent of the selling price will be the profit?

Solution: If M% is added to the cost price, the gross profit will be G% of the selling price, where G is:

$$G = \frac{100M}{M + 100}$$

$(E) (2) \times (3) (0) \div (1) (3) (0) + (E) (2) \text{ ENTER}$

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Answer: 23.08 % when rounded to two decimal digits.

Example 8: An investor has \$2,804 and \$25,755 in two market-tracking investment portfolios. The market gains 0.7% overnight. What is the new total value of the investor's portfolios?

Solution: The original total value is first calculated by adding the value of the two investments. Then 0.7 % is calculated as in Example 2:

(2) (8) (0) (4) (+) (2) (5) (7) (5) (5) (ENTER) (+) (.) (7) (2nd) (%) (2nd) (ANS) (ENTER)

Answer: The investor's portfolios are worth \$28,758.91 this morning.

Example 9: The investor in Example 8 finds that when the market closes in the afternoon, the investment is worth \$28,701. By how much did the market change during the day?

Solution: On the HP 30S, there is a specific key for calculating percent changes: (2nd) (%CHG). This function calculates the percent change between two numbers (separated by (2nd) (,)) as follows:

$$\%CHG(a,b) = \frac{b-a}{a}100$$

where  $b$  is the new value and  $a$  is the original value. Since  $a$  is already in ANS from the previous example, press:

(2nd) (%CHG) (2nd) (ANS) (2nd) (,) (2) (8) (7) (0) (1) (ENTER)

Answer: The market changed by -0.20 during the day, in other words it fell by 0.2%.

Example 10: Find the percent of increase of your rent 15 years ago (\$75 per month) to today (\$320 per month).

Solution: This is another percent change calculation, which we'll solve using the %CHG function:

(2nd) (%CHG) (7) (5) (2nd) (,) (3) (2) (0) (ENTER)

Answer: The percent increase is 326.67%.

Example 11: If 27 out of 1300 units fail a test, what percentage failed?

Solution: What we must calculate is the *percent of total*. If the partial value is  $P$  and the total is  $T$  then the percent total %T is:

$$\%T = \frac{P}{T}100$$

The (2nd) (%) key is very useful in these calculations, because dividing by  $x$  and multiplying by 100 is the same as dividing by " $x$ %" on the HP 30S:

(2) (7) (÷) (1) (3) (0) (0) (2nd) (%) (ENTER)

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Answer: 2.08% failed the test

Example 12: Total assets for Hydroid Company are \$1,675,840. The firm has inventories of \$234,578. What percentage of total assets is inventory?

Solution:  $(2) (3) (4) (5) (7) (8) (\div) (1) (6) (7) (5) (8) (4) (0) (2^{nd}) (\%) (ENTER)$

Answer: 14%

Example 13: Last year, Hydroid Company incurred salary expenses that were 45% of operating expenses. If operating expenses were \$76,349, what were salary expenses?

Solution: Salary expenses (P) are the operating expenses (T) multiplied by 45% and divided by 100:

$(7) (6) (3) (4) (9) (\times) (4) (5) (2^{nd}) (\%) (ENTER)$

Answer: \$34,357.05

Example 14: Tony borrows \$1,250 from a relative, and agrees to repay the loan in a year with 7% simple interest. How much money will Tony owe??

Solution: The total amount is the result of adding the loan to the interest of the loan.

$(1) (2) (5) (0) (ENTER) (+) (7) (2^{nd}) (\%) (2^{nd}) (ANS) (ENTER)$

Answer: \$1,337.50 is the amount that Tony must repay at the end of one year.

Example 15: The profit on a \$895 sale is  $23\frac{7}{8}\%$ . Calculate how much Gene will receive from the sale if his share on the profit is  $17\frac{2}{3}\%$ .

Solution: To find the profit, press

$(8) (9) (5) ( ( (2) (3) (a\%) (7) (a\%) (8) ) ) (2^{nd}) (\%) (ENTER)$

Gene's share is calculated by pressing:

$(\times) ( (1) (7) (a\%) (2) (a\%) (3) ) ) (2^{nd}) (\%) (ENTER)$

Since the percent function takes priority over fractions, these must be enclosed in parentheses.

Answer: Gene's share of the total profit is \$37.75